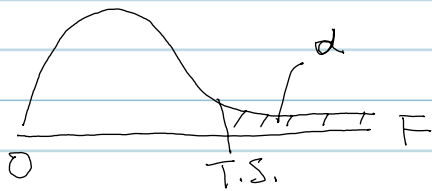


Test Stat : $F = \frac{n S_x^2}{S_p^2} (= 7.2864)$

Critical Value (from the F distribution)



Right Tail Test Always
 (because when H_0 is false
 the $\bar{x}$ values are very different
 so S_x^2 will be large $\frac{1}{2}$
 $F = \frac{n S_x^2}{S_p^2}$ will be large also.)

Table A5

df_1 = numerator degrees of freedom

$df_1 \longrightarrow k-1$

denominator
degrees of freedom

df_2



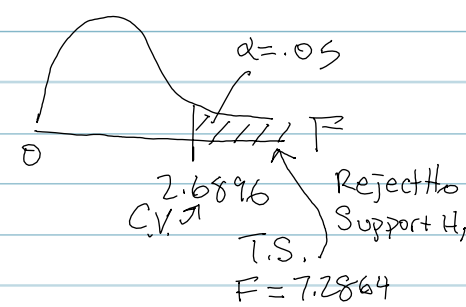
$k(n-1)$



Right Tail
C.V.

For our ex. let's use $\alpha = .05$ $k=5$ $n=7$

$\alpha = .05$ | $df_1 \rightarrow k-1 = 4$
 df_2 |
 ↓ |
 $k(n-1)$ |
 $= 5 \cdot (7-1)$ |
 $= 30$ | $\longrightarrow \underline{\underline{2.6896}}$



P-val requires a computer (optional)

Conclusion : Reject H_0 if $T.S. > C.V.$

For this example , we rejected H_0 $\frac{1}{2}$ will support H_1 .

The data support the claim that the mean temp's are different. (The treatments are more effective than placebo).